Package ‘mapproj’
June 8, 2017

Title Map Projections
Version 1.2-5
Date 2017-06-06
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Description Converts latitude/longitude into projected coordinates.
Depends maps (>= 2.3-0)
Imports stats, graphics
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NeedsCompilation yes
Repository CRAN
Date/Publication 2017-06-08 04:43:11 UTC

R topics documented:

map.grid .......................................................... 1
mapproject ....................................................... 3

Index

map.grid Draw a latitude/longitude grid on a projected map

Description

Draws a grid on an existing map.

Usage

map.grid(lim, nx=9, ny=9, labels=TRUE, pretty=TRUE, cex, col, lty,
font, ...)

1
Arguments

- **lim**: a vector of 4 numbers specifying limits: \(c(\text{lon.\ low}, \text{lon.\ high}, \text{lat.\ low}, \text{lat.\ high})\). lim can also be a list with a component named range, such as the result of map, from which limits are taken.
- **nx, ny**: the desired number of equally-spaced longitude and latitude lines
- **labels**: logical to indicate if grid lines should be labeled with longitude/latitude values.
- **pretty**: If TRUE, grid lines will be placed at round numbers.
- **cex, col, lty, font**: passed to arguments to par
- **...**: additional arguments passed to lines and text, e.g. col to change the color of the grid and lty to change the line type.

Value

Equally-spaced lines of constant longitude and lines of constant latitude are superimposed on the current map, using the current projection. These lines will appear curved under most projections, and give an idea of how the projection works.

See Also

map

Examples

```r
library(maps)
m <- map("usa", plot=FALSE)
map("usa", project="albers", par=c(39, 45))
map.grid(m)

# get unprojected world limits
m <- map("world", plot=FALSE)

# center on NYC
map("world", proj='azequalarea', orient=c(41, -74, 0))
map.grid(m, col=2)
points(mapproject(list(y=41, x=-74)), col=3, pch="x", cex=2)

map("world", proj='orth', orient=c(41, -74, 0))
map.grid(m, col=2, nx=6, ny=5, label=FALSE, lty=2)
points(mapproject(list(y=41, x=-74)), col=3, pch="x", cex=2)

# center on Auckland
map("world", proj='orth', orient=c(-36.92, 174.6, 0))
map.grid(m, col=2, label=FALSE, lty=2)
points(mapproject(list(y=-36.92, x=174.6)), col=3, pch="x", cex=2)

m <- map("nz")
# center on Auckland
map("nz", proj='azequalarea', orient=c(-36.92, 174.6, 0))
```
mapproject

points(mapproject(list(y=-36.92, x=174.6)), col=3, pch="x", cex=2)
map.grid(m, col=2)

mapproject

Apply a Map Projection

Description

Converts latitude and longitude into projected coordinates.

Usage

mapproject(x, y, projection="", parameters=NULL, orientation=NULL)

Arguments

x, y
two vectors giving longitude and latitude coordinates of points on the earth's surface to be projected. A list containing components named x and y, giving the coordinates of the points to be projected may also be given. Missing values (NAs) are allowed. The coordinate system is degrees of longitude east of Greenwich (so the USA is bounded by negative longitudes) and degrees north of the equator.

projection
optional character string that names a map projection to use. If the string is "" then the previous projection is used, with parameters modified by the next two arguments.

parameters
optional numeric vector of parameters for use with the projection argument. This argument is optional only in the sense that certain projections do not require additional parameters. If a projection does require additional parameters, these must be given in the parameters argument.

orientation
An optional vector c(latitude, longitude, rotation) which describes where the "North Pole" should be when computing the projection. Normally this is c(90, 0), which is appropriate for cylindrical and conic projections. For a planar projection, you should set it to the desired point of tangency. The third value is a clockwise rotation (in degrees), which defaults to the midrange of the longitude coordinates in the map. This means that two maps plotted with their own default orientation may not line up. To avoid this, you should not specify a projection twice but rather default to the previous projection using projection="". See the examples.

Details

Each standard projection is displayed with the Prime Meridian (longitude 0) being a straight vertical line, along which North is up. The orientation of nonstandard projections is specified by the three parameters=c(lat, lon, rot). Imagine a transparent gridded sphere around the globe. First turn the overlay about the North Pole so that the Prime Meridian (longitude 0) of the overlay coincides with meridian lon on the globe. Then tilt the North Pole of the overlay along its Prime Meridian to latitude lat on the globe. Finally again turn the overlay about its "North Pole" so that its Prime
Meridian coincides with the previous position of (the overlay) meridian rot. Project the desired map in the standard form appropriate to the overlay, but presenting information from the underlying globe.

In the descriptions that follow each projection is shown as a function call; if it requires parameters, these are shown as arguments to the function. The descriptions are grouped into families.

Equatorial projections centered on the Prime Meridian (longitude 0). Parallels are straight horizontal lines.

mercator() equally spaced straight meridians, conformal, straight compass courses
sinusoidal() equally spaced parallels, equal-area, same as bonne(0)

cylequalarea(lat0) equally spaced straight meridians, equal-area, true scale on lat0
cylindrical() central projection on tangent cylinder
rectangular(lat0) equally spaced parallels, equally spaced straight meridians, true scale on lat0
gall(lat0) parallels spaced stereographically on prime meridian, equally spaced straight meridians, true scale on lat0

mollweide() (homalographic) equal-area, hemisphere is a circle
gilbert() sphere conformally mapped on hemisphere and viewed orthographically

Azimuthal projections centered on the North Pole. Parallels are concentric circles. Meridians are equally spaced radial lines.

azequidistant() equally spaced parallels, true distances from pole
azequalarea() equal-area
gnomonic() central projection on tangent plane, straight great circles
perspective(dist) viewed along earth’s axis dist earth radii from center of earth
orthographic() viewed from infinity

stereographic() conformal, projected from opposite pole

laue() radius = tan(2 * colatitude) used in xray crystallography
fisheye(n) stereographic seen through medium with refractive index n

newyorker(r) radius = log(colatitude/r) map from viewing pedestal of radius r degrees

Polar conic projections symmetric about the Prime Meridian. Parallels are segments of concentric circles. Except in the Bonne projection, meridians are equally spaced radial lines orthogonal to the parallels.

conic(lat0) central projection on cone tangent at lat0
simpleconic(lat0, lat1) equally spaced parallels, true scale on lat0 and lat1

lambert(lat0, lat1) conformal, true scale on lat0 and lat1
albers(lat0, lat1) equal-area, true scale on lat0 and lat1
bonne(lat0) equally spaced parallels, equal-area, parallel lat0 developed from tangent cone

Projections with bilateral symmetry about the Prime Meridian and the equator.

polyconic() parallels developed from tangent cones, equally spaced along Prime Meridian
aitoff() equal-area projection of globe onto 2-to-1 ellipse, based on azequalarea
lagrange() conformal, maps whole sphere into a circle
bicentric(lon0) points plotted at true azimuth from two centers on the equator at longitudes +1\(\text{lon0}\) and -1\(\text{lon0}\), great circles are straight lines (a stretched gnomonic projection)
equatorial(lon0) points are plotted at true distance from two centers on the equator at longitudes +1\(\text{lon0}\) and -1\(\text{lon0}\)
globular() hemisphere is circle, circular arc meridians equally spaced on equator, circular arc parallels equally spaced on 0- and 90-degree meridians
vandergrinten() sphere is circle, meridians as in globular, circular arc parallels resemble mercator
eisenlohr() conformal with no singularities, shaped like polyconic

Doubly periodic conformal projections.
guyou W and E hemispheres are square
square world is square with Poles at diagonally opposite corners
tetra map on tetrahedron with edge tangent to Prime Meridian at S Pole, unfolded into equilateral triangle
hex world is hexagon centered on N Pole, N and S hemispheres are equilateral triangles

Miscellaneous projections.
harrison(dist,angle) oblique perspective from above the North Pole, dist earth radii from center of earth, looking along the Date Line angle degrees off vertical
trapezoidal(lat0, lat1) equally spaced parallels, straight meridians equally spaced along parallels, true scale at lat0 and lat1 on Prime Meridian
lune(lat, angle) conformal, polar cap above latitude lat maps to convex lune with given angle at 90\(E\) and 90\(W\)

Retroazimuthal projections. At every point the angle between vertical and a straight line to "Mecca", latitude lat0 on the prime meridian, is the true bearing of Mecca.
mecca(lat0) equally spaced vertical meridians
homing(lat0) distances to Mecca are true

Maps based on the spheroid. Of geodetic quality, these projections do not make sense for tilted orientations.
sp\_mercator() Mercator on the spheroid.
sp\_albers(lat0, lat1) Albers on the spheroid.

Value

list with components named \(\text{x}\) and \(\text{y}\), containing the projected coordinates. \(\text{NAs}\) project to \(\text{NAs}\). Points deemed unprojectable (such as north of 80 degrees latitude in the Mercator projection) are returned as \(\text{NA}\). Because of the ambiguity of the first two arguments, the other arguments must be given by name.

Each time mapproject is called, it leaves on frame 0 the dataset .Last.projection, which is a list with components projection, parameters, and orientation giving the arguments from the
call to mapproject or as constructed (for orientation). Subsequent calls to mapproject will get missing information from .Last.projection. Since map uses mapproject to do its projections, calls to mapproject after a call to map need not supply any arguments other than the data.

References


Examples

library(maps)
# Bonne equal-area projection with state abbreviations
map("state",proj='bonne', param=45)
data(state)
text(mapproject(state.center), state.abb)

# this does not work because the default orientations are different:
map("state",proj='bonne', param=45)
text(mapproject(state.center,proj='bonne',param=45),state.abb)

map("state",proj="albers",par=c(30,40))
map("state",par=c(20,50)) # another Albers projection

map("world",proj="gnomonic",orient=c(0,-100,0)) # example of orient
# see map.grid for more examples

# tests of projections added RSB 0Y1101
x <- seq(-100, 0, 10)
y <- seq(-45, 45, 10)
xy <- expand.grid(x=x, y=y)

pf <- c(0, 2, 0, 1, 1, 1, 1, 0, 0, 1, 0, 0, 0, 2, 0, 0, 1, 1, 1, 0, 0, 1, 1, 1, 0, 0, 2, 0, 0, 1, 0, 1, 1, 1, 0, 1, 2, 0, 0, 2)
res <- vector(mode="list", length=length(projlist))
for (i in seq(along=projlist)) {
  if (pf[i] == 0) res[[i]] <- mapproject(xy$x, xy$y, projlist[i])
  else if (pf[i] == 1) res[[i]] <- mapproject(xy$x, xy$y, projlist[i], 0)
  else res[[i]] <- mapproject(xy$x, xy$y, projlist[i], c(0,0))
}
names(res) <- projlist
lapply(res, function(p) rbind(p$x, p$y))
Index

*Topic **aplot**
  map.grid, 1
*Topic **dplot**
  mapproject, 3

map, 2
map.grid, 1
mapproject, 3